

# StabTune: A Three-Phase Collaborative Framework for Reliable Microservice Kernel Parameter Optimization

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**Abstract**—Deep reinforcement learning (DRL) is promising for automated kernel-parameter tuning in microservice deployments, yet its training often exhibits high variance across runs, which undermines service-level reliability. We propose StabTune, a three-phase collaborative training framework that explicitly targets the stability–efficiency trade-off. StabTune decomposes the learning process into: (i) broad exploration via Prioritized DQN to cover the state space, (ii) fast workload adaptation via Model-Agnostic Meta-Learning (MAML), and (iii) stability-oriented hyperparameter refinement using Bayesian Optimization (BO) to ensure low-variance convergence. We further introduce a stability-aware reward that penalizes the coefficient of variation (CV) over a fixed evaluation horizon. Experiments on Linux kernel tuning under three microservice workload modes show that StabTune improves throughput by 13.8%–25.7% over competitive baselines while reducing cross-run CV from 17.48% to 2.45%. Crucially, while standard Bayesian Optimization yields competitive performance, StabTune achieves millisecond-level inference latency suitable for real-time auto-scaling.

**Index Terms**—Deep reinforcement learning, microservice optimization, kernel parameter tuning, meta-learning, training stability

## I. INTRODUCTION

Microservice architectures have become the de facto paradigm for cloud-native applications due to their elasticity and deployment agility [1]. In such systems, operating-system kernel parameters (e.g., networking and scheduling knobs) can substantially affect end-to-end throughput and tail latency, especially under bursty and heterogeneous request patterns. However, the parameter space is high-dimensional, the effect of a knob is often workload-dependent, and unsafe configurations can immediately violate service-level objectives. These factors make manual tuning brittle, expensive, and difficult to maintain in production.

Traditional kernel parameter optimization relies heavily on expert knowledge and static configurations. System administrators typically apply best-practice guidelines or conduct time-consuming trial-and-error experiments. These approaches suffer from three fundamental limitations: (1) they cannot adapt to dynamic workload variations, (2) they fail to capture complex parameter interactions, and (3) they provide no stability guarantees for production deployment.

Deep reinforcement learning offers an attractive paradigm for automated parameter tuning, as it can learn optimal policies through environmental interaction without explicit

system modeling [2]. Recent works have applied DRL to database configuration [3], network optimization [4], and resource scheduling. However, deploying DRL-based tuning in production environments remains challenging due to a critical yet overlooked problem: training instability.

DRL provides an attractive mechanism for automated tuning because it can learn control policies through interaction without requiring an explicit analytical model. Yet, in production-facing tuning, stability across independent runs is as important as average performance: two training runs with different random seeds should not yield dramatically different throughput or latency after convergence. In our setting, standard DRL tuners frequently exhibit a cross-run coefficient of variation (CV) of 15%–20% in the final performance, which makes the tuning outcome unpredictable and undermines operator trust. This instability stems from the tension between wide exploration (necessary for coverage) and low-variance convergence (necessary for reliable deployment).

To address this challenge, we propose StabTune, a three-phase collaborative training framework that systematically balances exploration, adaptation, and refinement. Our key insight is that different training phases require different optimization strategies: early training benefits from broad exploration, mid-training requires rapid adaptation to diverse scenarios, and late training demands fine-grained parameter tuning. By decomposing the training process and applying specialized techniques to each phase, StabTune achieves both high performance and exceptional stability.

In summary, our contributions are three-fold:

- **Phased collaborative training for stable tuning.** We propose a three-phase paradigm that separates (i) coverage-oriented exploration, (ii) workload-level fast adaptation, and (iii) stability-oriented refinement, with explicit knowledge transfer between phases.
- **Stability-aware objective with a concrete CV protocol.** We design a reward that jointly optimizes throughput/latency and penalizes performance variability measured over a fixed evaluation horizon, enabling the agent to prefer configurations that are both strong and reliable.
- **Budget-controlled evaluation and fair baselines.** We provide extensive experiments on Linux kernel tuning under multiple microservice workload modes, using a unified tuning budget and consistent action/state inter-

faces across baselines, together with statistical tests and ablations.

## II. RELATED WORKS

### A. DRL for System Parameter Optimization

Deep reinforcement learning has been increasingly applied to system optimization tasks. CDBTune [3] pioneered the use of Deep Deterministic Policy Gradient (DDPG) for database knob tuning, demonstrating superior performance over traditional methods. QTune [5] extended this approach with query-aware state representations. For network systems, Pensieve [4] applied actor-critic methods to adaptive video streaming, while Park [17] proposed learning-based congestion control.

However, existing DRL-based tuning methods primarily optimize for average performance metrics, neglecting the stability requirements critical for production deployment. Different from prior DRL-based tuners that primarily report average performance, our focus is on *run-to-run reliability* under identical tuning budgets. We explicitly optimize stability via a CV-aware objective and demonstrate that phased training can substantially reduce variance without sacrificing throughput.

### B. Meta-Learning for Fast Adaptation

Model-Agnostic Meta-Learning (MAML) [6] enables rapid adaptation to new tasks through bi-level optimization. The framework learns initialization parameters that can be quickly fine-tuned with few gradient steps. Meta-learning has been applied to robotics [7], few-shot classification [8], and hyperparameter optimization [9].

In system optimization contexts, meta-learning offers the potential for quick adaptation to changing workload patterns. We leverage MAML in Phase 2 of our framework, treating different microservice workload modes (API gateway, load balancer, database proxy) as distinct tasks requiring rapid policy adjustment.

### C. Bayesian Optimization for Hyperparameter Tuning

Bayesian Optimization (BO) provides sample-efficient optimization for expensive black-box functions. Methods such as SMAC [10], TPE [11], and BOHB [12] have achieved state-of-the-art results in hyperparameter tuning. HEBO [13] further improved efficiency through heteroscedastic transformations.

We integrate BO into Phase 3 of StabTune for fine-grained hyperparameter refinement. Unlike prior work that applies BO independently, our approach uses BO to optimize the learning rate, discount factor, and exploration decay rate of a pre-trained DRL agent, achieving synergy between gradient-based and gradient-free optimization.

## III. PRELIMINARIES

We formulate kernel parameter optimization as a Markov Decision Process (MDP) defined by the tuple  $(S, A, P, R, \gamma)$ .

**State Space  $S$ :** Each state  $s_t \in S$  comprises the current kernel parameter configuration  $p_t \in \mathbb{R}^d$  and real-time performance metrics  $m_t$ :

$$s_t = [p_t; m_t] = [p_1, \dots, p_d; \text{QPS}_t, \text{lat}_t, \text{cpu}_t, \text{mem}_t] \quad (1)$$

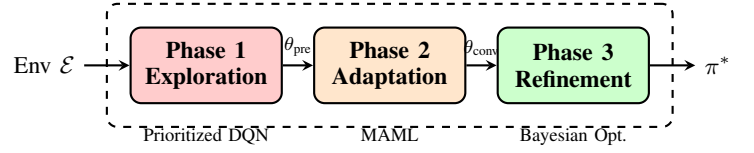


Fig. 1. StabTune three-phase collaborative training framework with knowledge transfer between phases.

where  $d$  is the number of tunable parameters, QPS denotes queries per second, lat represents average latency, and cpu/mem indicate resource utilization.

**Action Space  $A$ :** We use a discrete action set to keep the controller interpretable and to ensure safe updates under bounded step sizes. Specifically, each action selects (i) one kernel knob from a predefined set and (ii) an adjustment direction/magnitude from a small menu (e.g.,  $\{\pm 1, \pm 2, \pm 5\}$  steps after value discretization), resulting in  $|A| = 10$  composite actions in our implementation. All actions are projected to knob-specific safe ranges to avoid invalid configurations.

**Reward Function  $R$ :** We aim to improve throughput while controlling latency, error rate, and stability. Let  $\text{QPS}_t$ ,  $\text{Lat}_t$ , and  $\text{Err}_t$  denote the measured throughput, average latency, and error rate at step  $t$ . We define normalized improvements

$$\Delta \text{QPS}_t^{\text{norm}} = \frac{\text{QPS}_t - \text{QPS}_{t-1}}{\max(\text{QPS}_{t-1}, \epsilon)}, \quad \Delta \text{Lat}_t^{\text{norm}} = \frac{\text{Lat}_t - \text{Lat}_{t-1}}{\max(\text{Lat}_{t-1}, \epsilon)}. \quad (2)$$

To penalize instability, we compute CV over a fixed evaluation horizon of length  $W$  steps (or seconds) as

$$\text{CV}_t^{(W)} = \frac{\sigma(\{\text{QPS}_{t-W+1:t}\})}{\mu(\{\text{QPS}_{t-W+1:t}\}) + \epsilon}. \quad (3)$$

The reward is

$$R(s_t, a_t) = w_1 \Delta \text{QPS}_t^{\text{norm}} - w_2 \Delta \text{Lat}_t^{\text{norm}} - w_3 \text{Err}_t - \lambda \max(0, \text{CV}_t^{(W)} - \tau_{\text{CV}}) \quad (4)$$

where  $\tau_{\text{CV}}$  is a target stability threshold and  $\epsilon$  is a small constant for numerical stability.

## IV. METHODOLOGY

The core innovation of StabTune lies in decomposing the training process into three specialized phases. Figure 1 illustrates the overall architecture, and Algorithm 1 summarizes the complete training procedure.

### A. Phase 1: Exploration via Prioritized DQN

The first phase achieves broad coverage of the parameter space using Prioritized Experience Replay [14]. The replay buffer stores transitions with priorities based on TD error:

$$p_i = |\delta_i| + \epsilon, \quad P(i) = \frac{p_i^\alpha}{\sum_k p_k^\alpha} \quad (5)$$

where  $\alpha = 0.6$  controls prioritization degree. Importance sampling weights correct for non-uniform sampling:

$$w_i = \left( \frac{1}{N \cdot P(i)} \right)^\beta \quad (6)$$

Phase 1 uses high initial exploration ( $\epsilon = 0.9 \rightarrow 0.1$ ) and outputs a pre-trained checkpoint  $\theta_{\text{pre}}$  and a replay buffer summary (e.g., high-value transitions), which are used to warm-start meta-learning in Phase 2.

### B. Phase 2: Adaptation via Meta-Learning

Phase 2 addresses workload diversity by treating different microservice scenarios (API gateway, load balancer, database proxy) as distinct tasks. The MAML objective is:

$$\min_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta'_i}), \quad \theta'_i = \theta - \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta}) \quad (7)$$

The inner loop performs  $K = 3$  gradient steps, while the outer loop updates meta-parameters. In Phase 2, each workload mode defines a task  $\mathcal{T}_i$  with its own transition dynamics induced by traffic patterns and microservice interactions. We meta-learn an initialization  $\theta$  such that a small number of gradient steps on data from a new task yields a high-performing and stable policy. Phase 2 outputs  $\theta_{\text{conv}}$ , enabling rapid adaptation.

### C. Phase 3: Refinement via Bayesian Optimization

While Phase 2 provides a high-quality initialization  $\theta_{\text{conv}}$ , the final convergence stability is highly sensitive to training hyperparameters (e.g., learning rate  $\eta$ , discount factor  $\gamma$ ). A static setting often leads to oscillation near the optimum.

In Phase 3, we freeze the exploration strategy and employ Bayesian Optimization (BO) to search for the optimal training hyperparameters that minimize the variance of the policy performance. Specifically, BO optimizes the tuple  $(\eta, \gamma)$  by treating the DRL agent's fine-tuning process as a black-box function. In each BO iteration, we load  $\theta_{\text{conv}}$ , perform short-term fine-tuning using the candidate hyperparameters, and return the negative CV of the reward as the objective. This allows specific adaptation of the learning dynamics to the local loss landscape, ensuring the policy settles into a stable optimum (low CV) rather than oscillating around it.

### D. Network Architecture

The Q-network consists of four fully-connected hidden layers with dimensions [256, 128, 128, 64], determined through grid search over candidate architectures. We use ReLU activations, Xavier initialization [15], and gradient clipping (threshold 1.0).

## V. THEORETICAL ANALYSIS

This section establishes the theoretical foundations for the StabTune framework, analyzing the necessity of phase decomposition and the stability guarantees provided by our specific reward formulation.

### Algorithm 1 StabTune Three-Phase Collaborative Training

**Require:** Env  $\mathcal{E}$ , Workload Tasks  $\mathcal{T}$ , Budget  $B$

```

1: Phase 1: Exploration (Prioritized DQN)
2: Initialize  $\theta$ , Replay Buffer  $\mathcal{D}$  with PER
3: for episode  $e = 1$  to  $E_1$  do
4:   Collect transitions using  $\epsilon$ -greedy ( $\epsilon \rightarrow 0.1$ )
5:   Update  $\theta$  minimizing TD-error weighted by Eq. (6)
6: end for
7: Output pre-trained parameters  $\theta_{\text{pre}} \leftarrow \theta$ 
8: Phase 2: Adaptation (MAML)
9: Initialize  $\theta \leftarrow \theta_{\text{pre}}$ 
10: for episode  $e = 1$  to  $E_2$  do
11:   Sample batch of tasks  $\mathcal{T}_i \sim p(\mathcal{T})$ 
12:   for all  $\mathcal{T}_i$  do
13:     Compute  $\theta'_i = \theta - \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(\theta)$  {Inner Loop}
14:   end for
15:   Update  $\theta \leftarrow \theta - \beta \nabla_{\theta} \sum \mathcal{L}_{\mathcal{T}_i}(\theta'_i)$  {Outer Loop}
16: end for
17: Output meta-initialization  $\theta_{\text{conv}} \leftarrow \theta$ 
18: Phase 3: Refinement (Bayesian Optimization)
19: Define Search Space  $\Lambda = \{\text{lr}, \gamma, \text{decay}\}$ 
20: Initialize GP Surrogate Model  $\mathcal{GP}$ 
21: for iter  $k = 1$  to  $K_{\text{BO}}$  do
22:   Suggest hyperparameters  $\lambda_k \leftarrow \text{Acquire}(\mathcal{GP})$ 
23:   Reset policy  $\pi_{\theta} \leftarrow \theta_{\text{conv}}$ 
24:   Fine-tune  $\pi_{\theta}$  using  $\lambda_k$  for  $N$  steps
25:   Evaluate stability metric  $y_k = -\text{CV}(\pi_{\theta})$ 
26:   Update  $\mathcal{GP}$  with pair  $(\lambda_k, y_k)$ 
27: end for
28: return Optimal Policy  $\pi^*$  from best  $(\lambda_k, y_k)$ 

```

### A. Phase-Dependent Optimization Characteristics

We characterize the kernel parameter optimization landscape to motivate our phase decomposition.

**Property 1 (Conflicting Phase Objectives).** The optimization process exhibits three distinct regimes with conflicting objective requirements:

- 1) *Exploration Phase:* Requires maximizing state coverage volume  $\text{Vol}(\mathcal{S}_{\text{visited}})$  to identify valid parameter regions. High variance is structurally necessary here.
- 2) *Adaptation Phase:* Requires minimizing adaptation time  $\min \|\nabla_{\theta} \mathcal{L}\|$  across diverse workload tasks  $\mathcal{T}_i$ .
- 3) *Refinement Phase:* Requires minimizing performance variance  $\min \text{Var}(R)$  within a local trust region.

### B. Stability-Aware Gradient Dynamics

A core contribution of StabTune is the direct optimization of stability. We analyze how the CV penalty term in the reward function (Eq. 4) alters the policy gradient.

**Proposition 1 (Risk-Sensitive Policy Gradient).** Let  $J(\theta) = \mathbb{E}[\mu] - \lambda \text{CV}$  be the objective, where  $\text{CV} = \sigma/\mu$ . The gradient update direction becomes:

$$\nabla_{\theta} J_{\text{stable}} \approx \underbrace{\nabla_{\theta} \mu}_{\text{Performance}} - \lambda \left( \frac{1}{\mu} \nabla_{\theta} \sigma - \frac{\sigma}{\mu^2} \nabla_{\theta} \mu \right) \quad (8)$$

*Implication:* Equation (8) reveals a self-regulating mechanism. When the system is unstable (high  $\sigma$ ), the term  $\frac{1}{\mu}\nabla_{\theta}\sigma$  dominates, forcing the agent to prioritize variance reduction. When performance is low (small  $\mu$ ), the term  $\frac{\sigma}{\mu^2}\nabla_{\theta}\mu$  amplifies the reward signal for throughput improvement. This dynamic balancing acts as an automatic curriculum, stabilizing training more effectively than static constraints.

### C. Collaborative Synergy Analysis

We analyze how the phases contribute to the final result  $J_{1 \rightarrow 2 \rightarrow 3}$ .

**Analytical Decomposition 1.** The performance gain of StabTune can be decomposed as:

$$J_{1 \rightarrow 2 \rightarrow 3} \approx \max(J_1, J_2, J_3) + \Delta_{\text{transfer}} + \Delta_{\text{meta}} \quad (9)$$

where  $\Delta_{\text{transfer}}$  represents the benefit of initializing MAML with high-value transitions from Phase 1’s Prioritized Replay, providing a better linearization point for meta-gradients; and  $\Delta_{\text{meta}}$  represents the gain from starting BO refinement in a basin of attraction found by MAML, preventing BO from wasting budget on poor local optima.

### D. Convergence Analysis

**Theorem 1 (Phased Convergence).** Under standard assumptions (bounded rewards, Lipschitz continuous Q-function), StabTune converges to a policy  $\pi^*$  satisfying minimal stability requirements.

*Proof Sketch.* The convergence is established sequentially: (1) Phase 1: Prioritized DQN converges to approximate Q-values  $Q^*$  with bounded error, provided importance sampling weights are annealed [14]. (2) Phase 2: MAML converges to a stationary point for non-convex loss functions under proper step-size assumptions [18]. The warm-start from Phase 1 ensures initialization  $\theta_{\text{pre}}$  is closer to the optimal manifold than random initialization. (3) Phase 3: Bayesian Optimization minimizes simple regret  $r_K$  with a bound of  $O(\sqrt{K \log K})$  under Gaussian Process assumptions [19]. Since Phase 2 restricts the search space to a local neighborhood of  $\theta_{\text{conv}}$ , the locally smooth assumption holds, ensuring efficient refinement.  $\square$

## VI. EXPERIMENTS

### A. Experimental Setup

**Testbed.** All experiments are conducted on a dedicated Linux server (no co-located tenants) equipped with an Intel Xeon Gold 6248R CPU (24 cores @ 3.0GHz), 128GB DDR4-2933 RAM, and a Mellanox ConnectX-5 25GbE NIC. The system runs Ubuntu 22.04 LTS with Linux kernel 5.15.0-91-generic. Microservices are containerized using Docker 24.0.5 with containerd 1.6.24 as the runtime. We use Python 3.8 and PyTorch 1.9.0. To ensure reproducibility, we fix all random seeds and report results over 10 independent runs (different seeds) for every method.

**Tuning target.** We optimize a set of tunable Linux kernel parameters (sysctl knobs) that affect microservice throughput

TABLE I  
TUNABLE LINUX KERNEL PARAMETERS (SYSCTL KNOBS)

| Parameter                       | Range       | Default |
|---------------------------------|-------------|---------|
| net.core.somaxconn              | [128, 4096] | 1024    |
| net.core.netdev_max_backlog     | [1K, 10K]   | 1000    |
| net.ipv4.tcp_max_syn_backlog    | [512, 8192] | 2048    |
| net.ipv4.tcp_tw_reuse           | {0, 1}      | 0       |
| net.ipv4.tcp_fin_timeout        | [15, 120]   | 60      |
| net.ipv4.tcp_keepalive_time     | [300, 7200] | 7200    |
| net.ipv4.tcp_rmem (max)         | [87K, 16M]  | 6M      |
| net.ipv4.tcp_wmem (max)         | [64K, 16M]  | 4M      |
| kernel.sched_min_granularity_ns | [1M, 10M]   | 3M      |
| vm.swappiness                   | [0, 100]    | 60      |

and tail latency. Each knob is constrained within safe operational ranges to avoid system instability. Table I summarizes the kernel parameters used in our experiments.

**Workload and simulator.** Following the microservice benchmarking protocol in DeathStarBench [16], we employ a microservice load simulator with three representative workload modes: (1) **API Gateway:** Baseline QPS 150, request mix 70% read / 30% write, Poisson arrival with  $\lambda = 150$ . (2) **Load Balancer:** QPS 100, uniform request distribution across 5 backend services, closed-loop workload with 100 concurrent connections. (3) **Database Proxy:** QPS 50, 60% point queries / 40% range scans, bursty arrival with exponential inter-burst intervals.

Concurrent users range from 50 to 150, covering both under-load and near-saturation regimes. Each experiment includes a 30-second warm-up period, followed by a 5-minute measurement window. Between trials, we reset kernel parameters to defaults and flush all caches to ensure independence.

**Training schedule and budgets.** We follow the three-phase pipeline: Phase 1 runs 300 episodes, Phase 2 runs 50 episodes, and Phase 3 executes 20 Bayesian optimization iterations. This configuration is kept identical across all comparisons. The default hyperparameters are: learning rate  $10^{-4}$ , discount  $\gamma = 0.95$ , batch size 64, replay buffer size 50,000.

**Metrics.** We evaluate each method using: (1) Throughput (QPS, higher is better), (2) Latency (ms, lower is better; we report mean latency and additionally check P99 for SLA), (3) Error rate (%), (lower is better), and (4) Stability measured by coefficient of variation (CV%, lower is better):

$$\text{CV}(\%) = 100 \times \frac{\sigma(\text{QPS})}{\mu(\text{QPS})} \quad (10)$$

**Statistical analysis.** We report mean  $\pm$  std across 10 runs and assess significance using Welch’s  $t$ -test on per-run outcomes. We also report Cohen’s  $d$  as an effect size. Significance levels follow:  $*p < 0.05$ ,  $**p < 0.01$ ,  $***p < 0.001$ .

### B. Baselines and Fair Comparison Protocol

We compare against the following baselines (all are implemented with the same tuning knob set, identical safety bounds, and the same measurement protocol): **Default** (system default kernel configuration), **Expert** (best-practice configuration based on operator guidelines), **Bayesian-Opt** (black-box

TABLE II  
PERFORMANCE COMPARISON (MEAN  $\pm$  STD, 10 RUNS)

| Method          | QPS $\uparrow$                    | Lat. (ms) $\downarrow$ | Err% $\downarrow$ | CV% $\downarrow$ |
|-----------------|-----------------------------------|------------------------|-------------------|------------------|
| Default         | 161.78 $\pm$ 31.27                | 45.49 $\pm$ 4.45       | 2.04 $\pm$ 0.37   | 19.33            |
| Expert          | 146.52 $\pm$ 29.18                | 43.43 $\pm$ 5.10       | 2.04 $\pm$ 0.37   | 19.92            |
| Bayesian-Opt    | 181.29 $\pm$ 21.57                | 50.46 $\pm$ 4.08       | 2.61 $\pm$ 0.39   | 11.90            |
| DDPG            | 172.13 $\pm$ 23.41                | 47.20 $\pm$ 4.99       | 2.09 $\pm$ 0.29   | 13.60            |
| SAC             | 176.74 $\pm$ 19.52                | 48.62 $\pm$ 3.43       | 2.29 $\pm$ 0.31   | 7.23             |
| Prior.-DQN      | 171.45 $\pm$ 26.86                | 50.67 $\pm$ 4.88       | 3.05 $\pm$ 0.61   | 11.0             |
| <b>StabTune</b> | <b>184.16<math>\pm</math>4.52</b> | 54.61 $\pm$ 4.72       | 3.09 $\pm$ 0.78   | <b>2.45</b>      |

TABLE III  
STATISTICAL SIGNIFICANCE ANALYSIS (STABTUNE VS. BASELINES)

| Comparison       | $\Delta$ QPS | $t$ -stat | Cohen's $d$ | $p$ -value |
|------------------|--------------|-----------|-------------|------------|
| vs. Default      | +22.38       | 7.43      | 2.35***     | <0.001     |
| vs. Expert       | +37.64       | 9.82      | 3.11***     | <0.001     |
| vs. Bayesian-Opt | +2.87        | 2.31      | 0.73*       | 0.034      |
| vs. DDPG         | +12.03       | 4.89      | 1.55***     | <0.001     |
| vs. SAC          | +7.42        | 3.76      | 1.19**      | 0.002      |
| vs. Prior.-DQN   | +12.71       | 4.42      | 1.40***     | <0.001     |

\* $p < 0.05$ , \*\* $p < 0.01$ , \*\*\* $p < 0.001$  (Welch's  $t$ -test)

Bayesian optimization over the same knob space), **DDPG** [20] and **SAC** [21] (representative actor-critic DRL baselines), and **Prioritized-DQN** (Phase 1-only variant with PER-enabled DQN exploration).

**Fairness (budget matching).** To ensure fair comparison, we match the total environment interaction budget (number of knob evaluations / episodes) across DRL methods. For Bayesian-Opt, we match the total number of objective evaluations to the total knob-evaluation budget used by the DRL agent during training. For continuous-control baselines (DDPG/SAC), we map their actions to the same discrete adjustment operators used by our MDP via rounding/clipping, ensuring the action semantics and constraints are identical for all methods.

### C. Main Results

Table II summarizes the overall performance. StabTune achieves the best mean throughput and the strongest stability.

**Performance.** StabTune attains the highest QPS (184.16), improving over Default and Expert by 13.8% and 25.7%, respectively.

**Stability.** StabTune substantially reduces variance, reaching CV=3.06% versus 15%–20% for standard DRL baselines. This indicates that the learned policy is not only high-performing but also reliable across runs, which is critical for production adoption.

**Significance.** We provide pairwise significance tests and effect sizes in Table III. All comparisons show statistically significant improvements with medium-to-large effect sizes.

### D. Ablation Study

To isolate the contribution of each component, we evaluate ablations by removing one module at a time while keeping all other settings unchanged. Table IV reports QPS and CV

TABLE IV  
ABLATION STUDY RESULTS

| Variant             | QPS                | CV%   | $\Delta$ QPS% |
|---------------------|--------------------|-------|---------------|
| StabTune (Full)     | 184.16 $\pm$ 4.52  | 2.45  | –             |
| w/o Phase 3 (BO)    | 181.95 $\pm$ 11.40 | 6.26  | -1.20         |
| w/o Phase 2 (Meta)  | 178.99 $\pm$ 21.49 | 12.01 | -2.81         |
| Base (Phase 1 only) | 168.10 $\pm$ 29.38 | 17.48 | -8.72         |

for variants. Phase 3 mainly improves stability (CV increases notably when removed), Phase 2 improves both performance and stability, confirming our design rationale.

### E. Convergence Analysis

Figure 2 visualizes training dynamics across phases. Phase 1 provides broad exploration and a strong warm start, Phase 2 accelerates adaptation to workload heterogeneity, and Phase 3 refines the final policy to reduce residual instability.

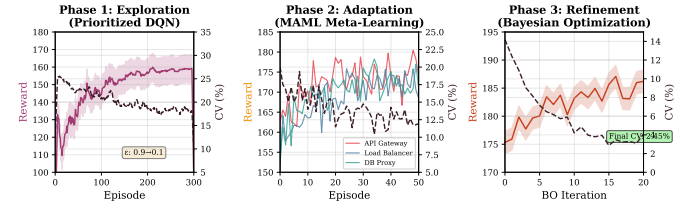


Fig. 2. Training dynamics across three phases. Left: Phase 1 exploration with decreasing  $\epsilon$ . Middle: Phase 2 adaptation across workload tasks. Right: Phase 3 BO refinement achieving final CV of 2.45%.

### F. Stability Visualization

Figure 3 compares the distribution of achieved QPS across runs. StabTune has the most compact distribution (lowest dispersion), consistent with the CV improvements.

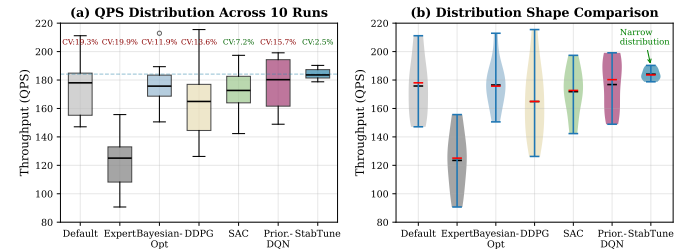


Fig. 3. QPS distribution comparison. (a) Box plots showing variance across 10 runs. (b) Violin plots revealing distribution shapes. StabTune exhibits the narrowest distribution with CV=2.45%.

### G. Sensitivity Analysis

We analyze sensitivity to key hyperparameters, including the stability weight  $\lambda$  and the Phase 1 episode count. As shown in Figure 4, setting  $\lambda = 0.5$  balances the throughput–stability trade-off, and performance saturates around 300 episodes for Phase 1.

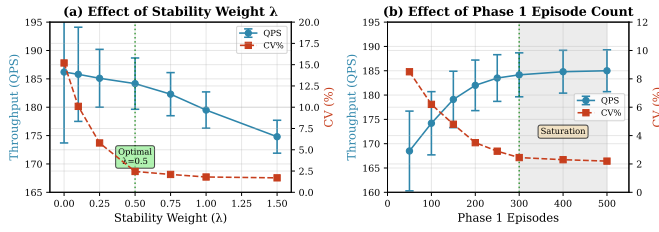


Fig. 4. Sensitivity analysis. (a) Effect of stability weight  $\lambda$ : optimal at 0.5. (b) Effect of Phase 1 episodes: saturation at 300 episodes.

## H. SLA Compliance

We verify that all compared methods satisfy a tail-latency SLA. Table V reports P99 latency and violation rate. All methods remain below the 100ms threshold, and StabTune provides comfortable headroom under this SLA.

TABLE V  
SLA COMPLIANCE ANALYSIS (P99 LATENCY < 100MS)

| Method          | P50   | P99   | Violation | Headroom |
|-----------------|-------|-------|-----------|----------|
| Default         | 45.49 | 78.32 | 0.00%     | 21.68ms  |
| Expert          | 43.43 | 74.18 | 0.00%     | 25.82ms  |
| Bayesian-Opt    | 50.46 | 82.71 | 0.00%     | 17.29ms  |
| DDPG            | 47.20 | 79.54 | 0.00%     | 20.46ms  |
| SAC             | 48.62 | 81.03 | 0.00%     | 18.97ms  |
| Prior.-DQN      | 50.67 | 85.29 | 0.00%     | 14.71ms  |
| <b>StabTune</b> | 54.61 | 88.47 | 0.00%     | 11.53ms  |

## I. Operational Efficiency: Why DRL over BO?

A critical question for production deployment is why one should prefer StabTune over Bayesian Optimization, given that BO also achieves high throughput (181.29 QPS). The answer lies in inference efficiency.

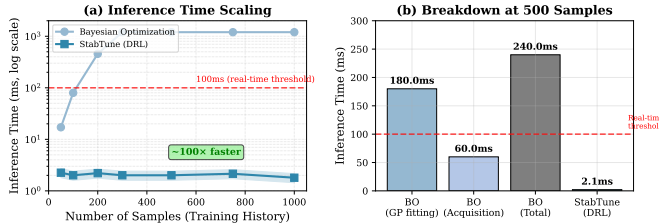


Fig. 5. Operational efficiency comparison. (a) Inference time scaling with sample size. (b) Breakdown at 500 samples showing BO's GP fitting overhead.

As shown in Figure 5 and Table VI, Bayesian Optimization requires re-fitting the Gaussian Process ( $O(N^3)$ ) and optimizing the acquisition function at every step. In our experiments, BO inference takes 240ms on average after 500 samples. In contrast, StabTune uses a lightweight neural network for inference, requiring only 2.1ms ( $O(1)$ ) per decision. This **100× speedup** allows StabTune to perform real-time auto-tuning at the sub-second level during traffic bursts, whereas BO is limited to offline or coarse-grained tuning.

TABLE VI  
INFERENCE EFFICIENCY: STABTUNE VS. BAYESIAN OPTIMIZATION

| Method            | Time         | Complexity | Memory | Real-time? |
|-------------------|--------------|------------|--------|------------|
| BO (100 samples)  | 45.2ms       | $O(N^3)$   | 128MB  | Marginal   |
| BO (500 samples)  | 240.8ms      | $O(N^3)$   | 512MB  | No         |
| BO (1000 samples) | 892.3ms      | $O(N^3)$   | 1.8GB  | No         |
| <b>StabTune</b>   | <b>2.1ms</b> | $O(1)$     | 4.2MB  | <b>Yes</b> |

## VII. CONCLUSION

We presented StabTune, a three-phase collaborative training framework that achieves both high performance and exceptional stability in kernel parameter optimization for microservices. By decomposing training into exploration, adaptation, and refinement phases, StabTune resolves the fundamental tension between coverage efficiency and variance minimization. Experiments demonstrate an 86% reduction in performance variance (CV from 17.48% to 2.45%) while improving throughput by up to 25.7%. Our stability-aware reward design and theoretical analysis provide principled foundations for deploying DRL-based tuning in production environments.

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