



USMILE



Data-Driven Cloud Cover Parameterizations for the ICON model

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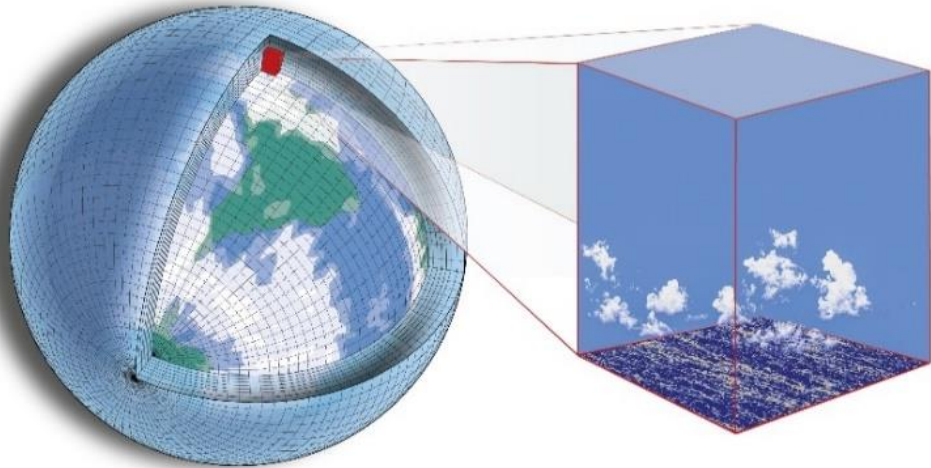
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$$C = f(RH, p) \Rightarrow C = P_3(RH, T) + (c_1 \partial_z RH + c_2)(\partial_z RH)^2 - \frac{1}{c_3 q_c + c_4 q_i + \varepsilon}$$

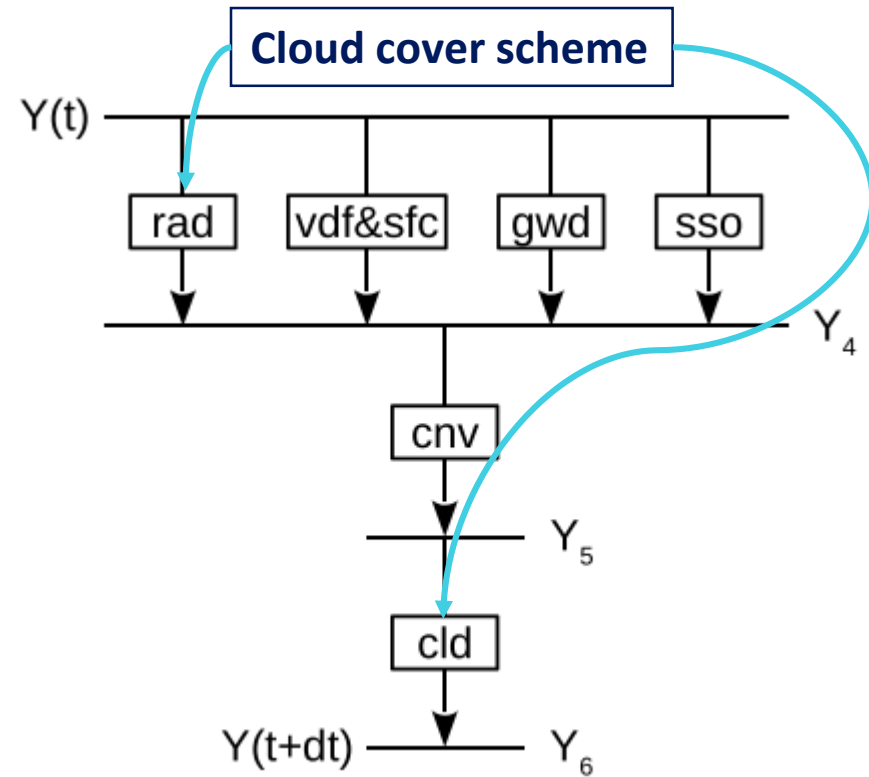
PASC23, Davos

28 June, 2023

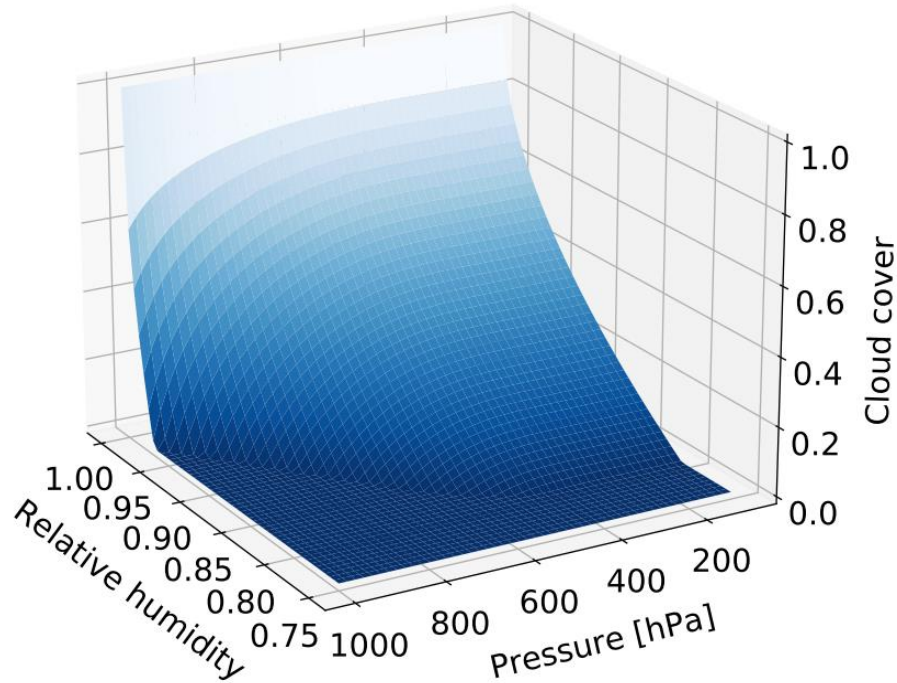
Clouds need to be parameterized in climate models



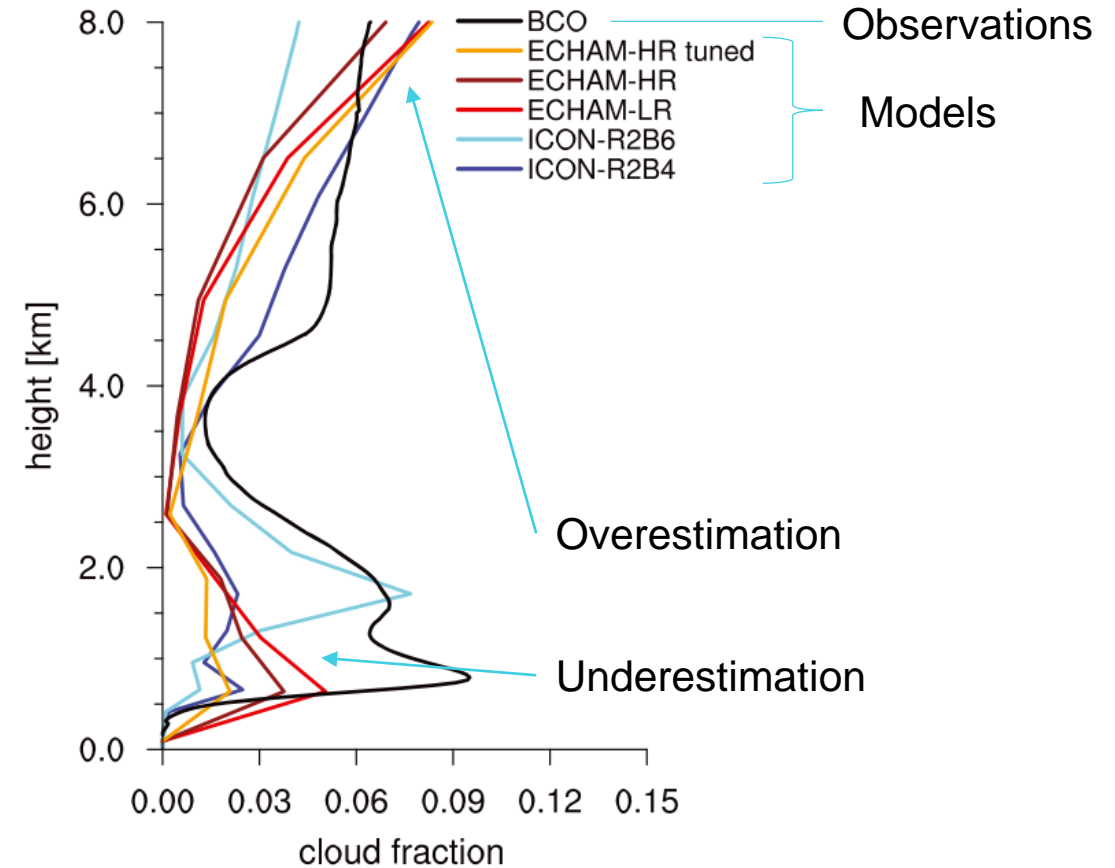
Most clouds are subgrid-scale phenomena



Parameterizations in ICON
 Adapted from Giorgetta, et al. (2018)



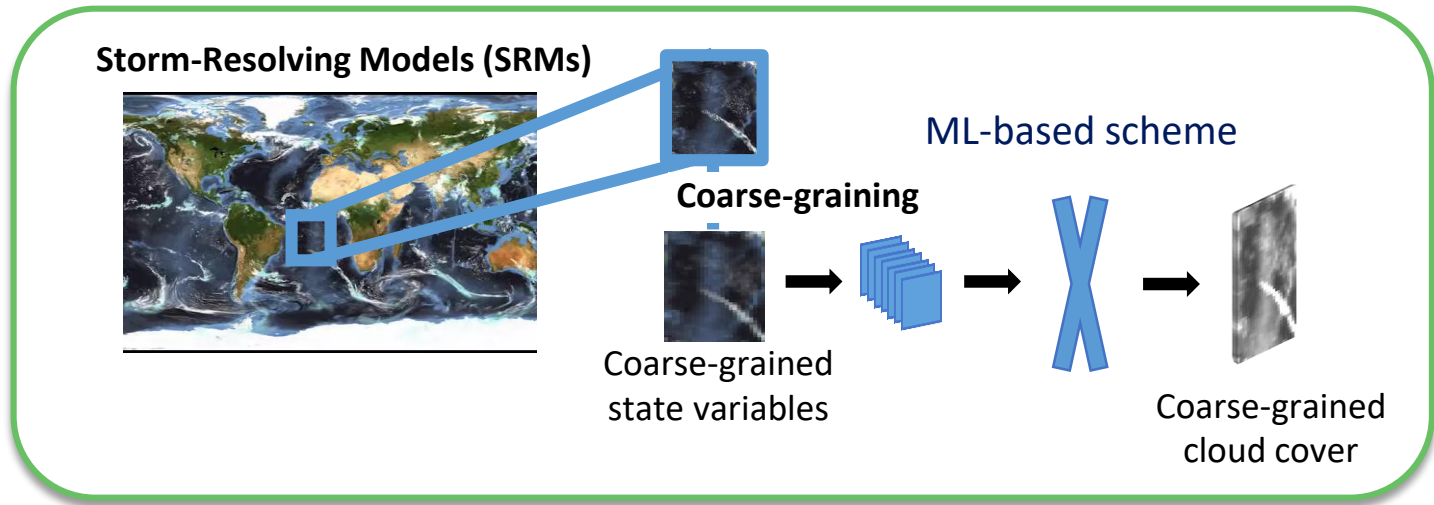
Sundqvist scheme at $p_s = 1000hPa$



Annually averaged cloud cover profile over Barbados
Crueger, et al. (2018)

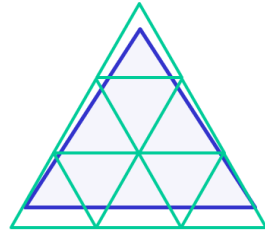
Our approach:

- Temperature
- Humidity
- Pressure
- Water vapor
- Cloud water
- Cloud ice



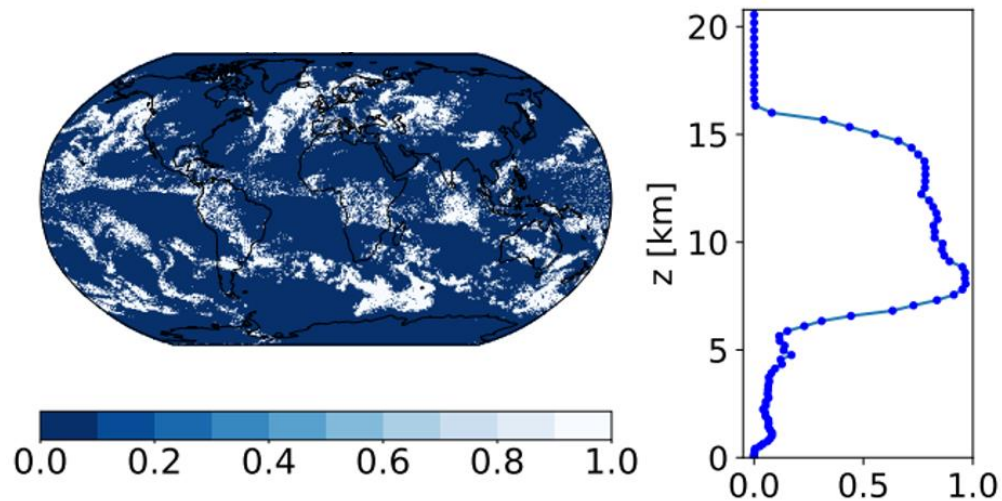
Coarse-graining on ICON's irregular grid is challenging

ICON's horizontal fields

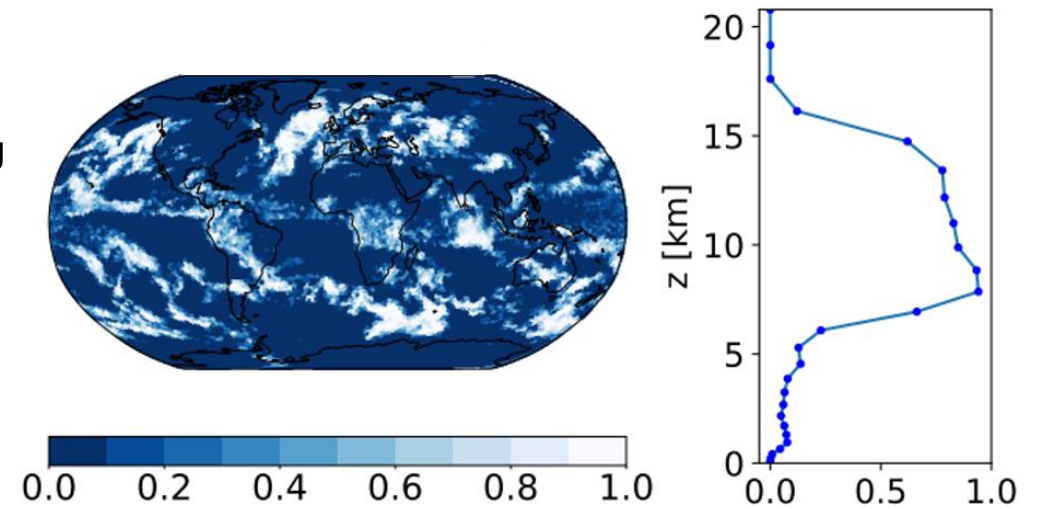


Blue cell: Coarse-scale ICON grid cell
Green cells: Fine-scale ICON-SRM grid cells

Example of cloud cover:

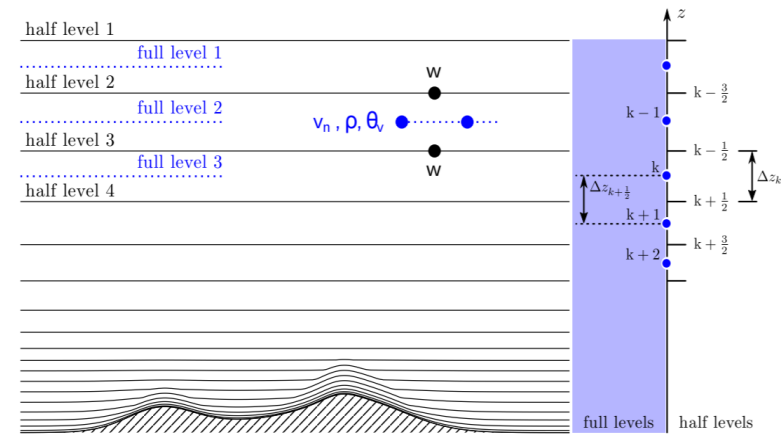


Coarse-graining



Grundner et al. (2022)

ICON's vertical layers



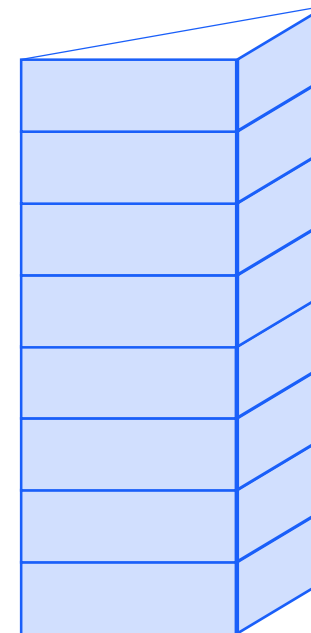
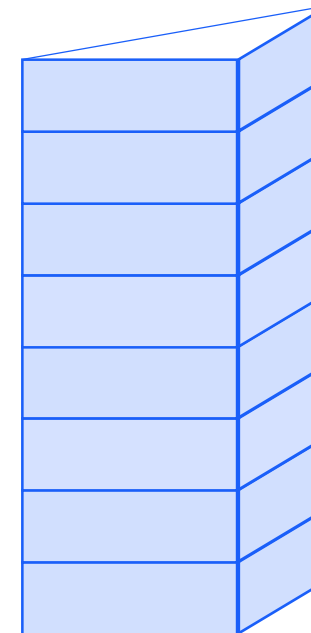
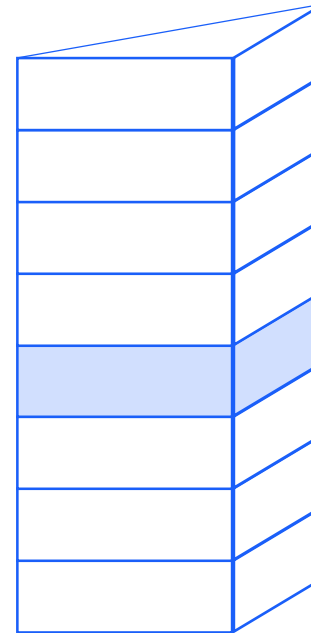
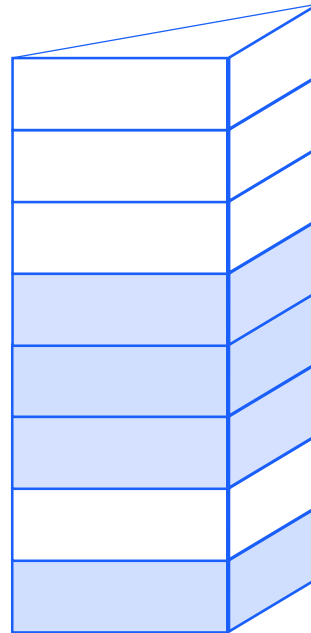
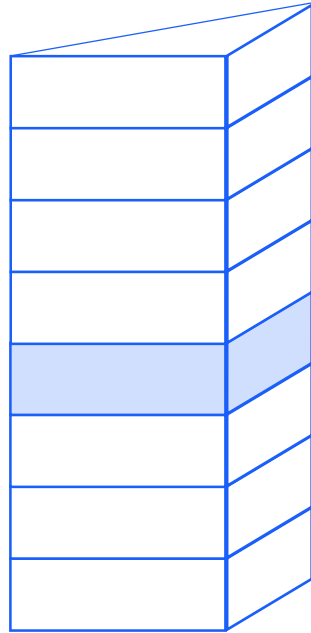
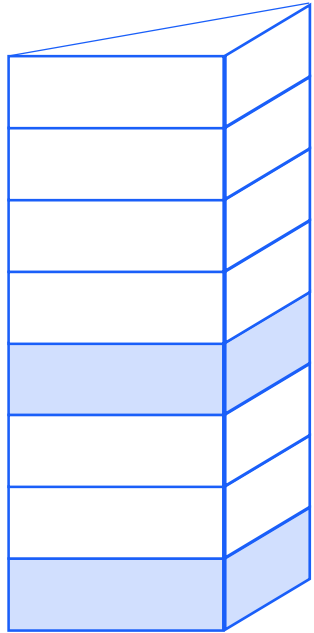
Terrain-following hybrid sigma height grid

Grid cell based

Neighborhood based

Column based

21km



0km

$p + s$ inputs

1 output

$3p + s$ inputs

1 output

$27p + s$ inputs

27 outputs

local

non-local

Input features are a subset of:

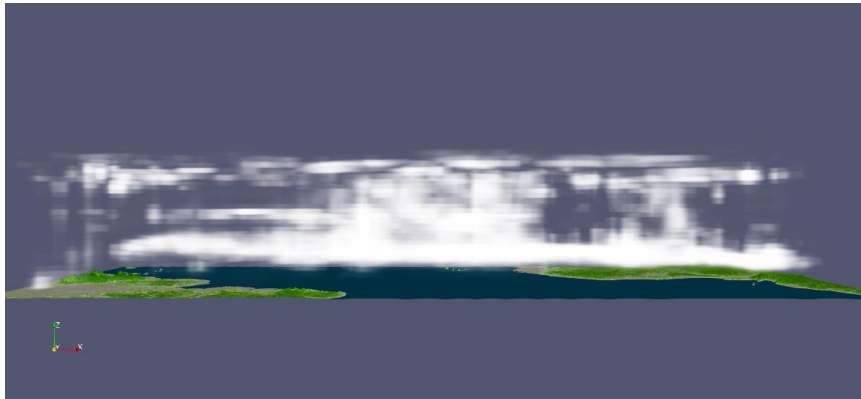
Temperature; pressure; air density; zonal, meridional wind; specific humidity; cloud ice; cloud water; geometric height; fraction of lakes, land, sea ice; Coriolis parameter

Output feature: Cloud Cover

These neural networks can accurately reproduce cloud cover!

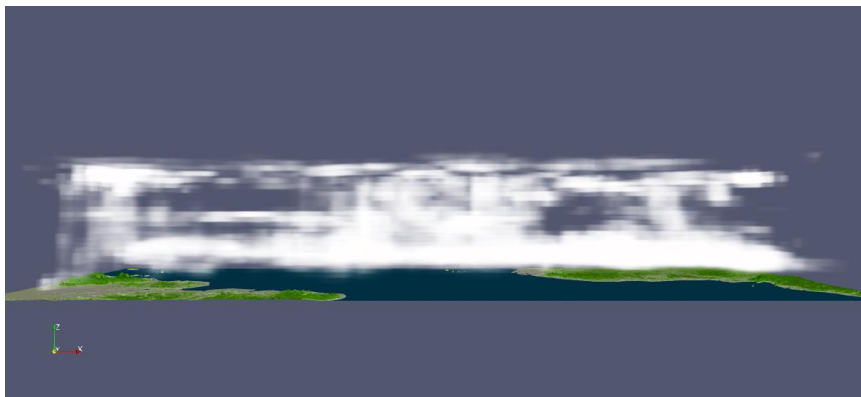
ML estimate

(Some columns over land excluded from training)

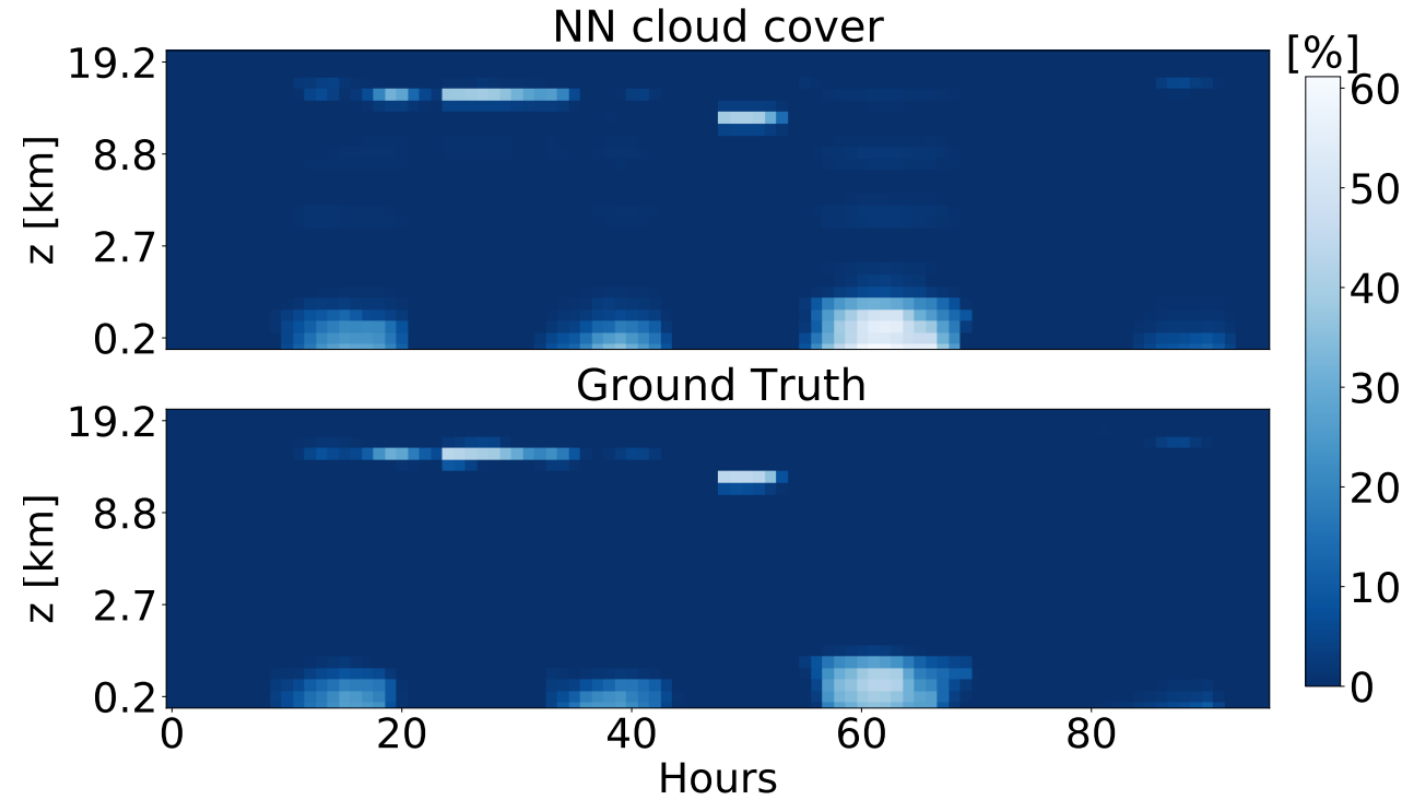


Reference

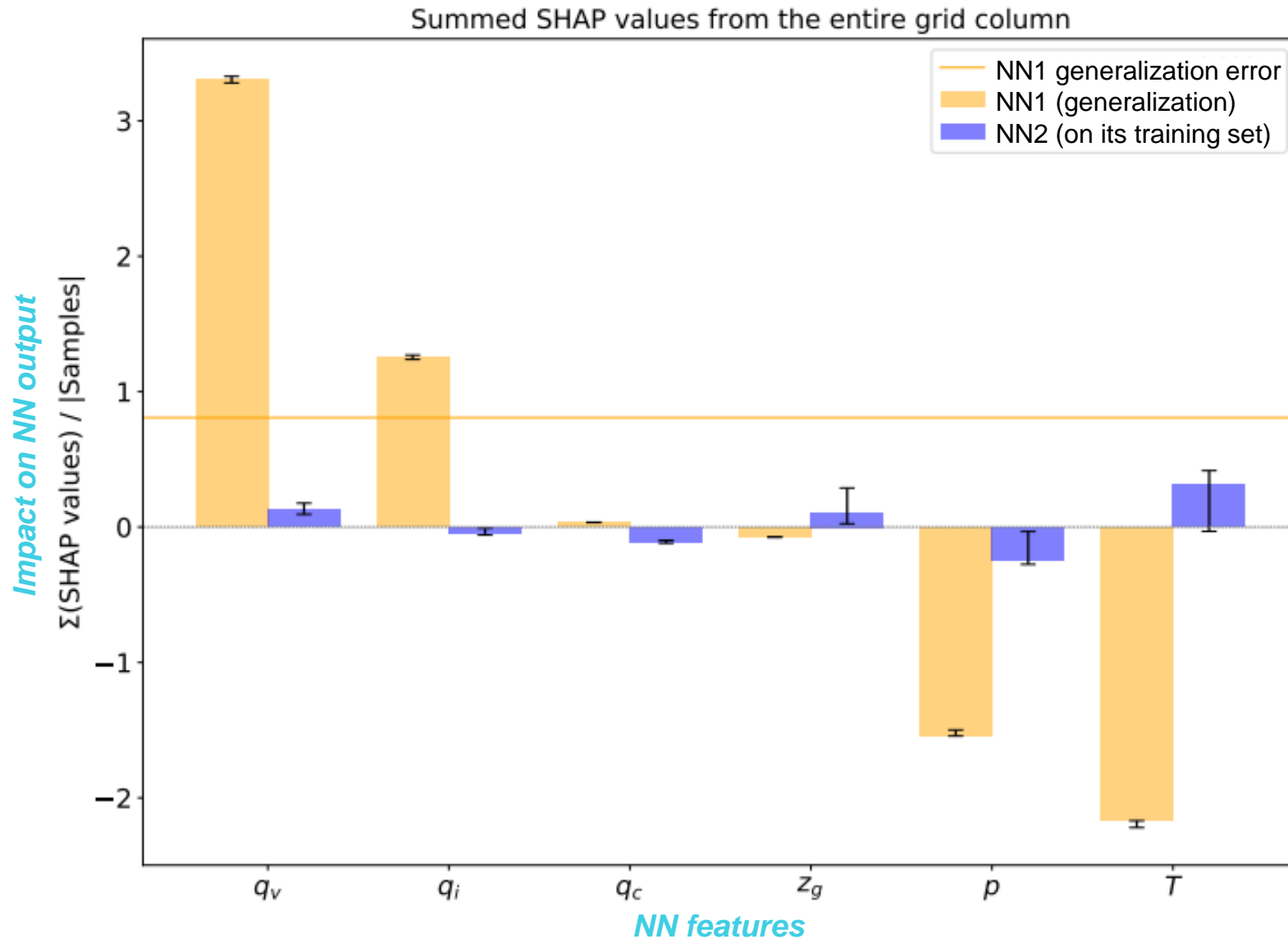
(Coarse-grained)



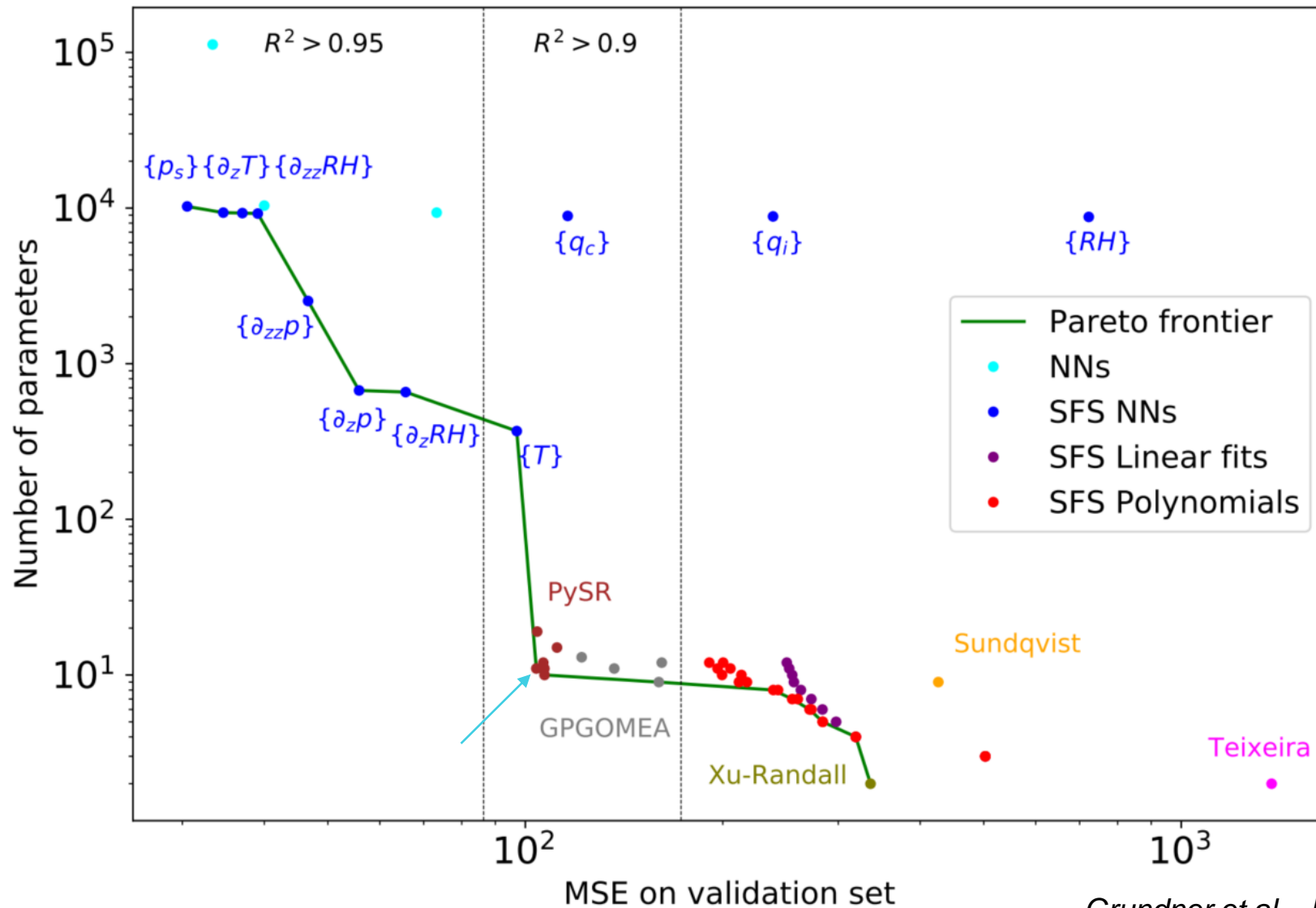
Hovmoeller plot



With XAI we can explain our neural network predictions



But what if our schemes were explainable by construction?

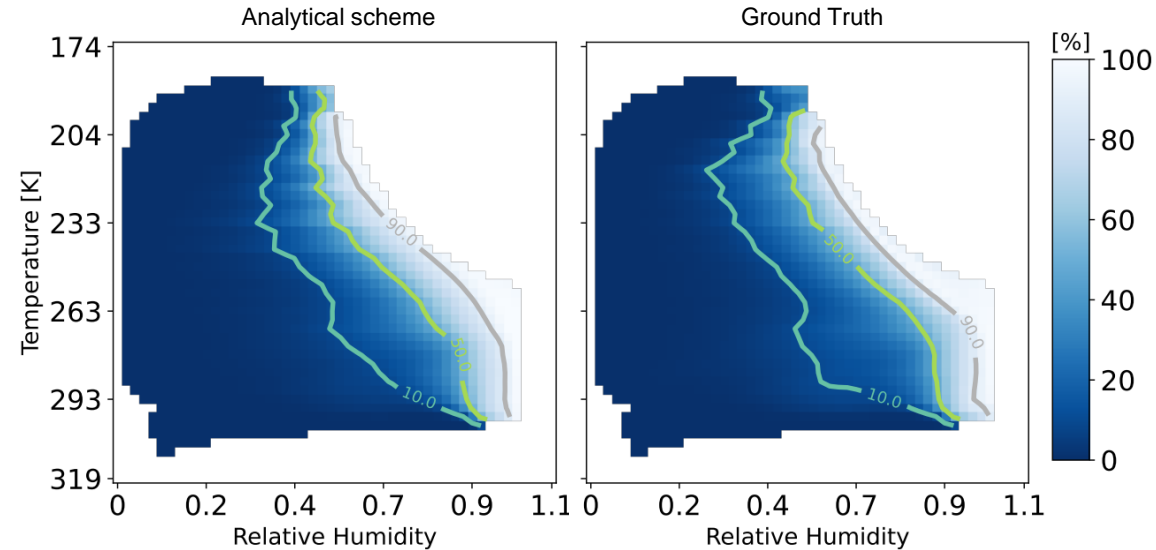


$$f(RH, T, \partial_z RH, q_c, q_i) = I_1(RH, T) + I_2(\partial_z RH) + I_3(q_c, q_i),$$

$$I_1(RH, T) \stackrel{\text{def}}{=} a_1 RH^2 + (a_2 RH - a_3) T^2 - a_4 RHT + a_5 RH + a_6 T - a_7$$

$$I_2(\partial_z RH) \stackrel{\text{def}}{=} (a_8 \partial_z RH + a_9) (\partial_z RH)^2$$

$$I_3(q_c, q_i) \stackrel{\text{def}}{=} -1 / (a_{10} q_c + a_{11} q_i + \epsilon).$$

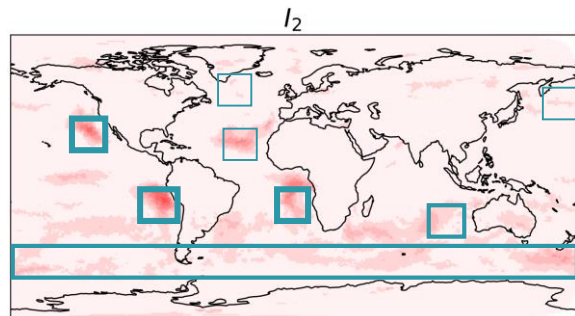


$$f(RH, T, \partial_z RH, q_c, q_i) = I_1(RH, T) + I_2(\partial_z RH) + I_3(q_c, q_i),$$

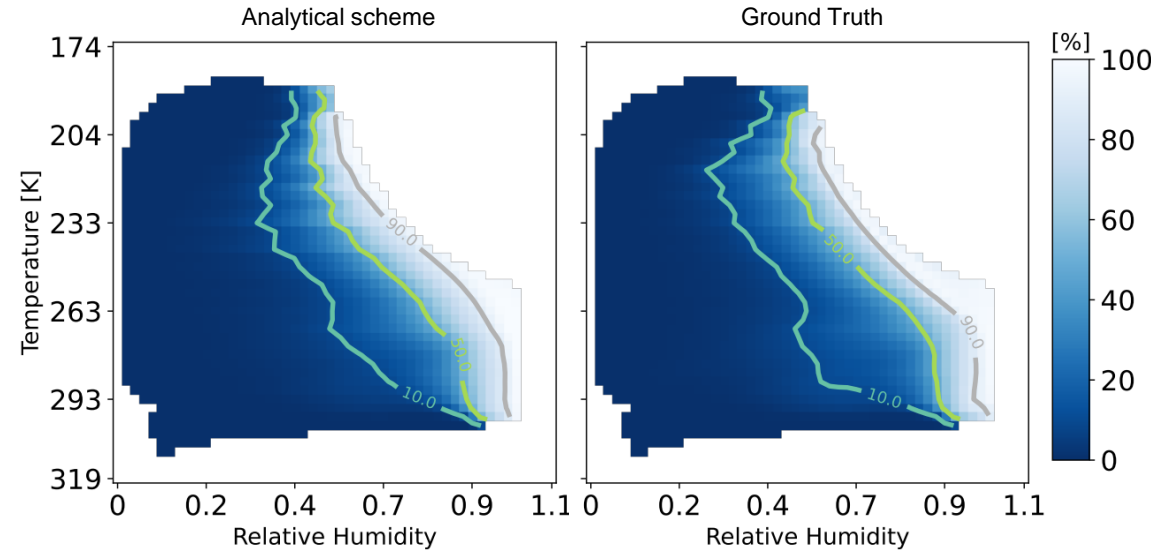
$$I_1(RH, T) \stackrel{\text{def}}{=} a_1 RH^2 + (a_2 RH - a_3) T^2 - a_4 RHT + a_5 RH + a_6 T - a_7$$

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$$I_3(q_c, q_i) \stackrel{\text{def}}{=} -1 / (a_{10} q_c + a_{11} q_i + \epsilon).$$



Boxes from Muhlbauer et al., 2014



Physical Constraints

PC₁: $\mathcal{C}(X) \in [0, 100]\%$

PC₂: $(q_c, q_i) = 0 \Rightarrow \mathcal{C}(X) = 0$

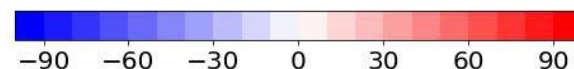
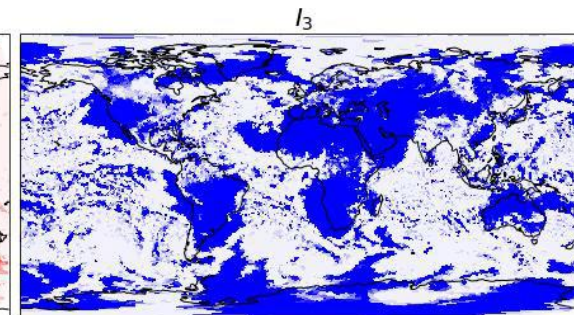
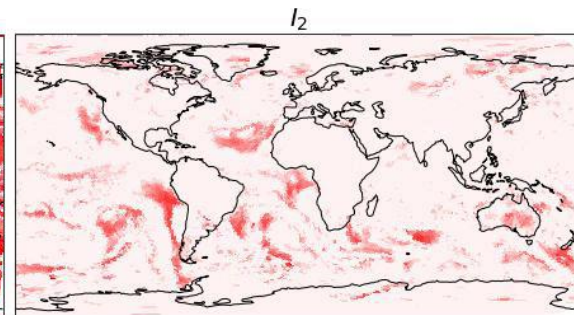
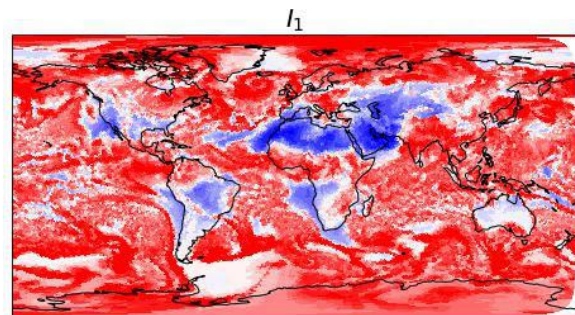
PC₃: $\partial \mathcal{C}(X) / \partial RH \geq 0$

PC₄: $\partial \mathcal{C}(X) / \partial q_c \geq 0$

PC₅: $\partial \mathcal{C}(X) / \partial q_i \geq 0$

PC₆: $\partial \mathcal{C}(X) / \partial T \leq 0$

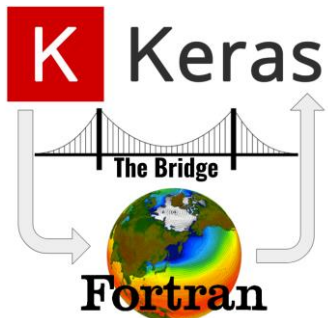
PC₇: $\mathcal{C}(X)$ is a smooth function



Summary of the 'offline' section

- While deep learning methods are powerful and explainable post-hoc, they are less interpretable
- We can retain interpretability by learning nonlinear equations directly from the data, using symbolic regression methods
- We discover a new data-driven, analytical cloud cover scheme which is characterized by an excellent trade-off between performance and simplicity
- One of its three terms predominantly captures marine stratocumuli
- Physical constraints can be easily verified or enforced in the cloud cover equation

Keras: Model training



Ott et al. (2020)

[GitHub](#)

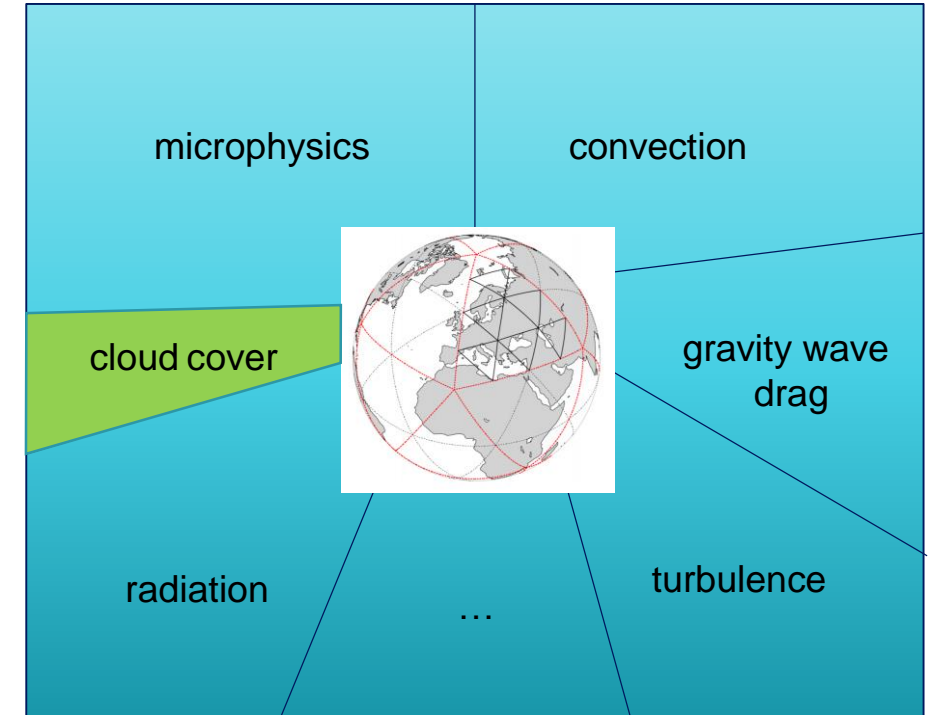
FKB – Python

> **Conversion** of the NN
(h5 → txt)



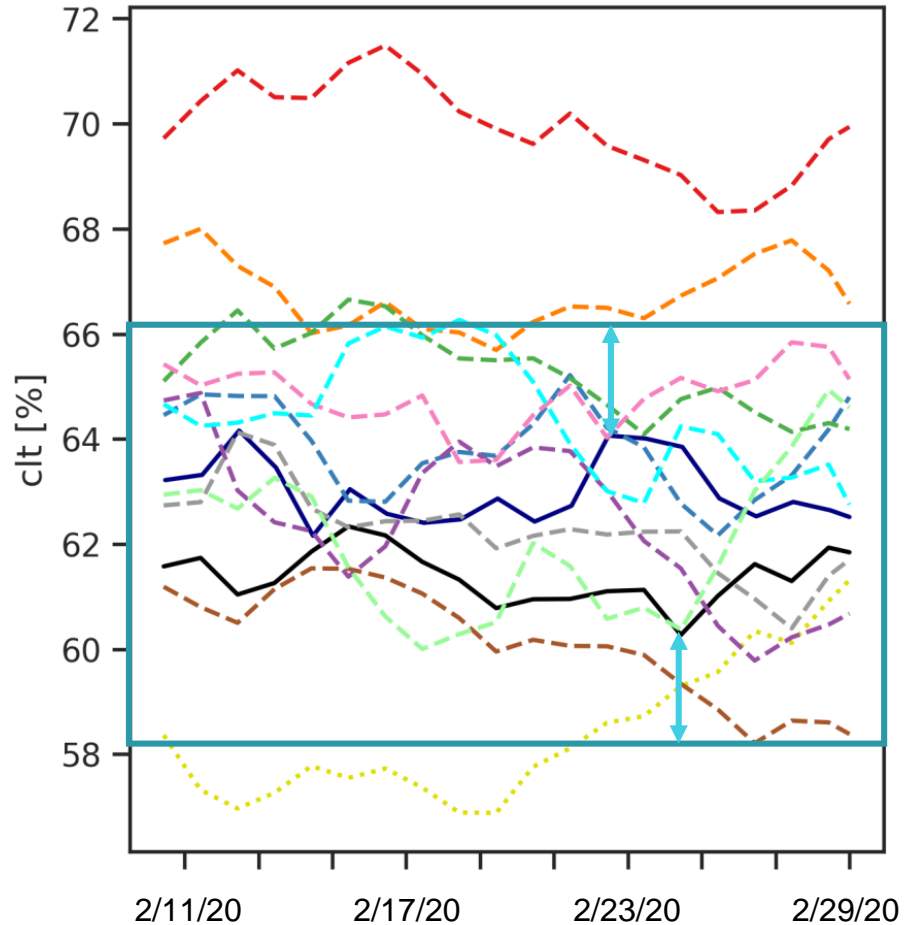
FKB - Fortran NN library

> **Loads** & processes
converted **NNs** at the **start**
of **ICON**



ICON climate model

Total Cloud Cover Percentage



ICON-ML

- DYAMOND SRM
- ERA5
- ⋯ ICON-A
- - cell-based NN
- - 10-feat NN
- - 4-feat NN
- - 5-feat NN
- - 6-feat NN
- - column NN
- - neighborhood NN
- - eqn., physical vars
- - eqn., norm. vars
- - eqn., adj. mean/std

Short simulation for the same timespan as the high-res data
 > Reference to compare to & NNs know climatic conditions
 → Most ICON-ML simulations are closer to the high-res data

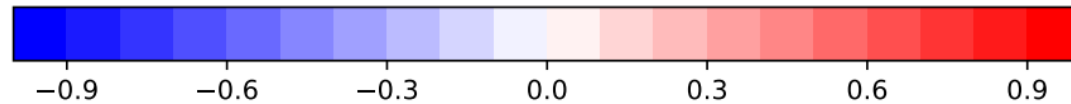
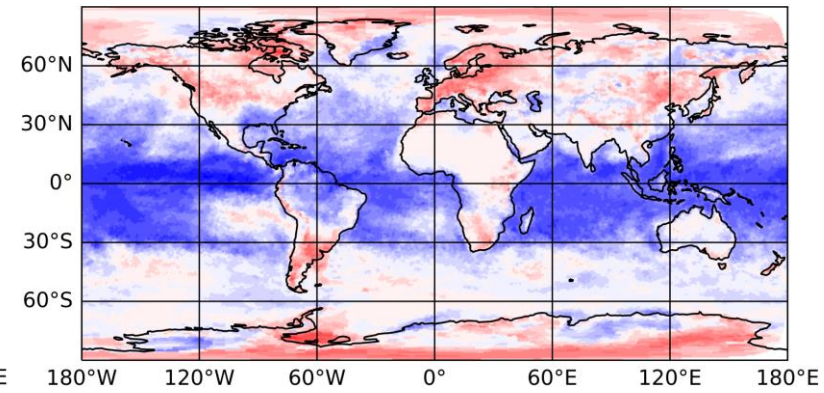
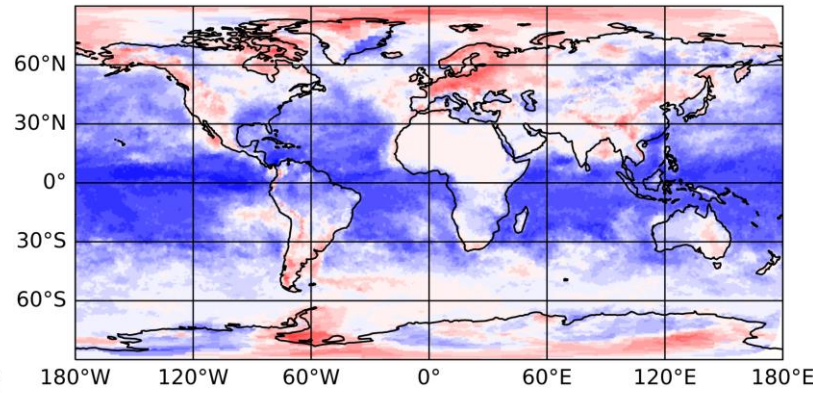
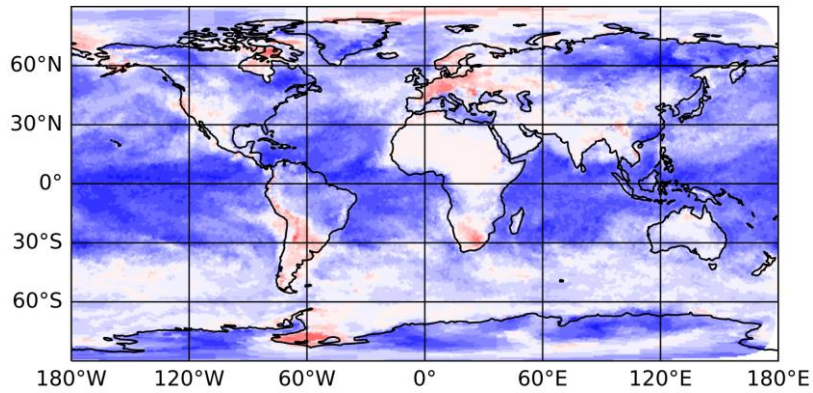
$\text{mean}(\text{clt_ICON}) - \text{mean}(\text{clt_SRM})$

ICON-A (RMSE=0.387)

ICON-ML 4-feat NN (RMSE=0.384)

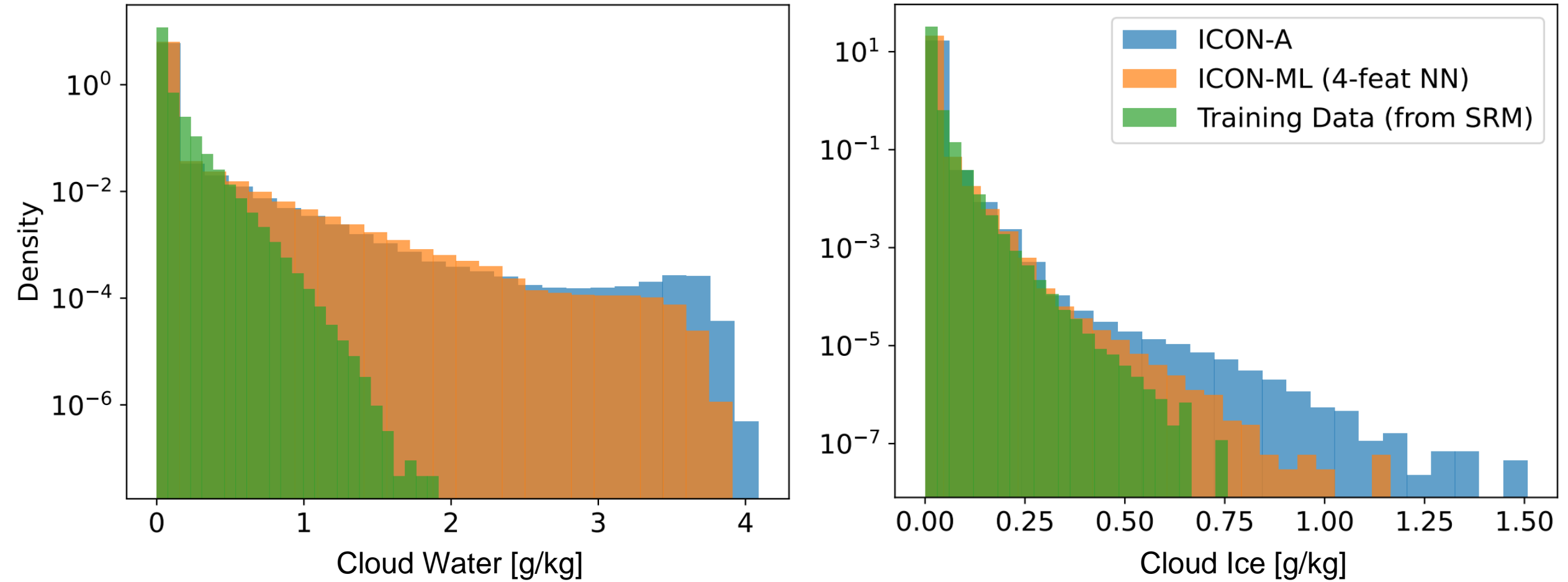
ICON-ML analytic equation (RMSE=0.360)

Low-level (0.3 – 3km)

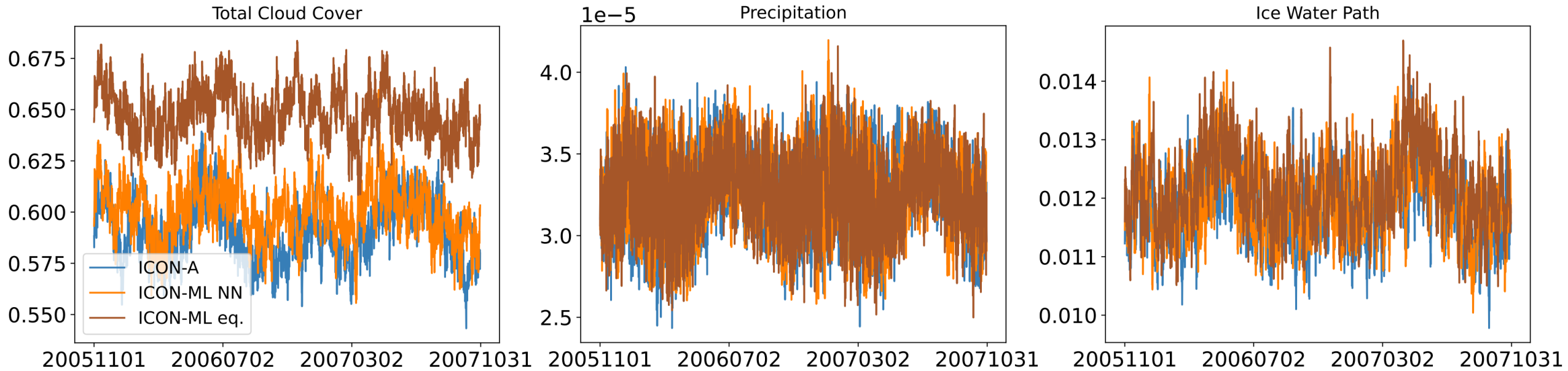


Cloud Cover difference (in [-1,1])

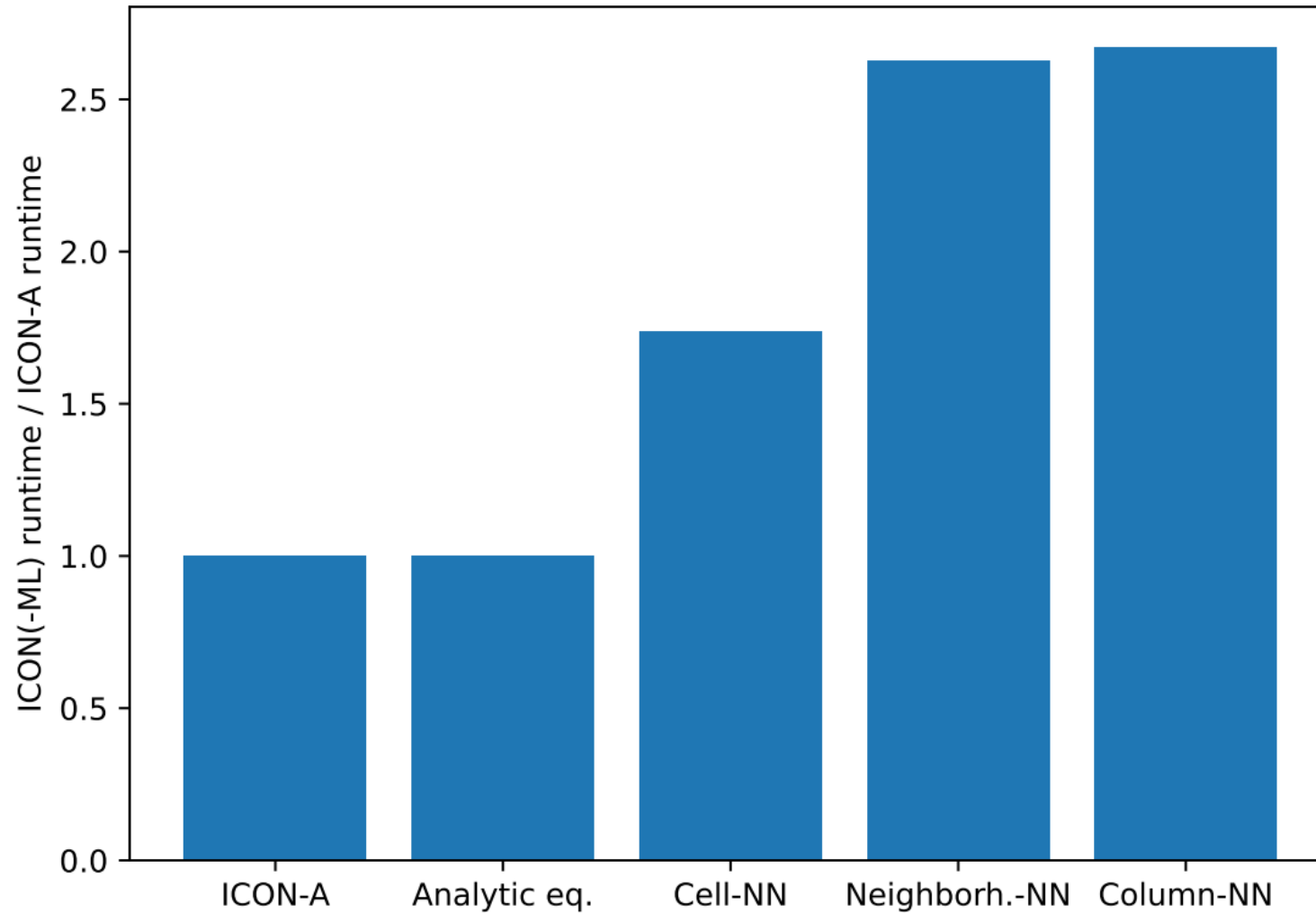
Good results even though NNs in ICON are out-of-distribution



2-year long simulation shows stability of ICON-ML



Challenge: ICON-NN runtime increased by a factor of 1.7



ICON-ML simulations

Summary

- Successful coupling of ML based schemes to ICON-A using the FKB
- The resulting ICON-ML model is stable
- Performance (measured through mismatch to high-res) already competitive to ICON-A

Potential for further improvements

- Working on additional ML based parameterizations (e.g., convection)
- Meanwhile: ICON-ML results can be improved further by transfer learning cloud cover NNs to ICON-A output (and its inherent biases)
- High-resolution data used for evaluation only covers a relatively small time span. Comparison to observations instead?
- Increase in computational runtime when replacing the simple cloud cover scheme by NNs (need efficient Python-Fortran bridges)



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